The relation between the most-massive star and its parental star cluster mass

C. Weidner[1,2]*, P. Kroupa[3]† and I. A. D. Bonnell[1]‡

[1]*Scottish Universities Physics Alliance (SUPA), School of Physics and Astronomy, University of St. Andrews, North Haugh,*
St. Andrews, Fife KY16 9SS, UK
[2]*Departamento de Astronomía y Astrofísica, Pontificia Universidad Católica de Chile, Av. Vicuña MacKenna 4860,*
Macul, Santiago, Chile
[3]*Argelander-Institut für Astronomie (Sternwarte), Auf dem Hügel 71, D-53121 Bonn, Germany*

ABSTRACT

We present a thorough literature study of the most-massive star, $m_{\max}$, in several young star clusters in order to assess whether or not star clusters are populated from the stellar initial mass function (IMF) by random sampling over the mass range $0.01 \leqslant m \leqslant 150\ M_\odot$ without being constrained by the cluster mass, $M_{\rm ecl}$. The data reveal a partition of the sample into lowest mass objects ($M_{\rm ecl} \leqslant 10^2 M_\odot$), moderate mass clusters ($10^2 M_\odot < M_{\rm ecl} \leqslant 10^3 M_\odot$) and rich clusters above $10^3 M_\odot$. Additionally, there is a plateau of a constant maximal star mass ($m_{\max} \approx 25\ M_\odot$) for clusters with masses between $10^3 M_\odot$ and $4 \cdot 10^3 M_\odot$. Statistical tests of this data set reveal that the hypothesis of random sampling from the IMF between 0.01 and 150 $M_\odot$ is highly unlikely for star clusters more massive than $10^2 M_\odot$ with a probability of $p \approx 2 \cdot 10^{-7}$ for the objects with $M_{\rm ecl}$ between $10^2 M_\odot$ and $10^3 M_\odot$ and $p \approx 3 \cdot 10^{-9}$ for the more massive star clusters. Also, the spread of $m_{\max}$ values at a given $M_{\rm ecl}$ is smaller than expected from random sampling. We suggest that the basic physical process able to explain this dependence of stellar inventory of a star cluster on its mass may be the interplay between stellar feedback and the binding energy of the cluster-forming molecular cloud core. Given these results, it would follow that an integrated galactic initial mass function (IGIMF) sampled from such clusters would automatically be steeper in comparison to the IMF within individual star clusters.

Key words: stars: formation – stars: luminosity function, mass function – galaxies: star clusters – galaxies: evolution – galaxies: stellar content – Galaxy: stellar content

1 INTRODUCTION

Whether or not newborn stars in star clusters are randomly drawn[1] from the IMF is of utmost importance for various fields of stellar astrophysics. For example non-random drawing which suppresses the number of OB stars in smaller clusters would steepen the IMF for whole galaxies, the integrated galactic stellar initial mass function (IGIMF, Kroupa & Weidner 2003; Weidner & Kroupa 2005). A randomly-drawn IMF on the other hand, which would be equivalent to postulating the existence of clusters comprised of a massive star and not much more, would not (Elmegreen 2006; Selman & Melnick 2008). As the bulk of the galactic field star populations are probably made from dissolving star clusters (Kroupa 1995; Lada & Lada 1995, 2003; Adams & Myers 2001; Allen et al. 2007), understanding the stellar distribution in galaxies presupposes knowledge of the IMF in star clusters. A central issue on deciding whether a star cluster can be modelled in terms of random sampling from the IMF or not is the existence of a non-trivial relation between the mass of the most-massive star ($m_{\max}$) and the star cluster mass

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* E-mail: cw60@st-andrews.ac.uk
† E-mail: pavel@astro.uni-bonn.de
‡ E-mail: iab1@st-andrews.ac.uk
[1] Random sampling means choosing a number N of stars randomly from the distribution function which is in this case the IMF.

($M_{\rm ecl}$). Thus, a statistically significant correlation $m_{\rm max}(M_{\rm ecl})$ would imply physical processes such as self-regulation of the star-formation process in a cluster. The influence of the cluster mass or density on its stellar population has been studied on previous occasions. Larson (1982) and Larson (2003) examined the properties of molecular clouds and the stellar populations found within them, finding the following empirical expression between the mass of the most-massive star, $m_{\rm max}$, and the stellar mass of an embedded cluster, $M_{\rm ecl}$,

$$m_{\rm max}^{\rm Larson} = 1.2 M_{\rm ecl}^{0.45}, \tag{1}$$

which is shown as a *dash-dotted line* in Fig. 1.

Elmegreen (1983) investigated a model for the formation of bound star clusters where the luminosity of the stars chosen from a Miller & Scalo (1979) IMF overcomes the binding energy of a molecular cloud. Different star formation efficiencies would then determine if a cloud becomes a bound star cluster or an OB association. He also found a relation between $m_{\rm max}$ and $M_{\rm ecl}$ which cannot be written as an analytical equation and is shown as a *long-dashed line* in Fig. 1. Later, Elmegreen (2000) derived a different relation when assuming a single slope power-law IMF, $\xi(m)$, where $dN = \xi(m)dm$ is the number of stars in the mass interval m, $m + dm$, with a Salpeter (1955) slope and solving the following two equations,

$$1 = \int_{m_{\rm max}}^{m_{\rm max*}} \xi(m)dm \tag{2}$$

and

$$M_{\rm ecl} = \int_{m_{\rm min}}^{m_{\rm max}} m\xi(m)dm, \tag{3}$$

but without any limit for masses of the stars, $m_{\rm max*} = \infty$. Here, $m_{\rm min}$ is the minimum mass. For a single power-law IMF with a Salpeter (1955) slope these two equations yield in,

$$m_{\rm max}^{\rm Elmegreen} = \left(\frac{M_{\rm ecl}}{3 \times 10^3} \right)^{-1.35} \times 100, \tag{4}$$

shown as the *short-dashed line* in Fig. 1.

In their numerical calculations of star-forming molecular clouds using a smoothed particle hydrodynamics code Bonnell et al. (2003, 2004) found a relation,

$$m_{\rm max}^{\rm Bonnell} = 0.39 \times M_{\rm ecl}^{2/3}, \tag{5}$$

which is shown as a *dotted line* in Fig. 1.

In a thorough study of star clusters and OB associations in order to determine whether or not a fundamental upper mass limit for stars exists, Oey & Clarke (2005) also calculated the expected dependence of $m_{\rm max}$ on $M_{\rm ecl}$ if the stars are randomly drawn from an IMF,

$$m_{\rm max}^{\rm Oey} = m_{\rm max*} - \int_0^{m_{\rm max*}} \left[\int_0^{M_{\rm ecl}} \xi(m)dm \right]^N dM_{\rm ecl}, \tag{6}$$

plotted as a *short-dashed-long-dashed line* in Fig. 1.

Including a fundamental upper mass limit for stars, $m_{\rm max*} = 150 M_\odot$[2] in eqs. 2 and 3, and using the canonical multi-part power-law IMF (Appendix A) Weidner & Kroupa (2004) found the relation visible as a *thick-solid line* in Fig. 1.

As evident from Fig. 1 these studies arrive at a rather large range of possible $m_{\rm max}$–$M_{\rm ecl}$-relations. Weidner & Kroupa (2006) re-investigated this question by compiling a larger number of observational results from the literature and extensive Monte-Carlo experiments of different sampling algorithms and found evidence that there exists a non-trivial relation between the mass of a star cluster and the most-massive star in the cluster, a result in principle confirmed by Selman & Melnick (2008). But they conclude that the Weidner & Kroupa (2006) sample is biased by a size-of-sample effect. Furthermore, in the recent literature several claims have been made against such a relation arguing instead for a pure random sampling from the IMF in individual star clusters (Oey et al. 2004; de Wit et al. 2005; Elmegreen 2006; Parker & Goodwin 2007; Selman & Melnick 2008; Maschberger & Clarke 2008). de Wit et al. (2004, 2005) find up-to 4% of non-runaway (less than 30 km/s space motion) O stars in isolation with no apparent cluster around them or within their lifetime if they would have been ejected from a cluster with a velocity of 6 km/s – indicating they formed outside a cluster. This result would of course be irreconcilable with a relation between the mass of the most-massive star and the mass of its parent star cluster as has been pointed out by Parker & Goodwin (2007) and Selman & Melnick (2008). While Selman & Melnick (2008) argue that the sample used in Weidner & Kroupa (2006) is biased against random sampling, Parker & Goodwin (2007) find that the observed 4% of allegedly isolated O stars would agree with random sampling from a cluster number distribution function which scales with

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[2] 150 $M_\odot$ is believed to be the fundamental upper mass limit for stars with non-zero metallicity (Weidner & Kroupa 2004; Oey & Clarke 2005; Figer 2005; Koen 2006).
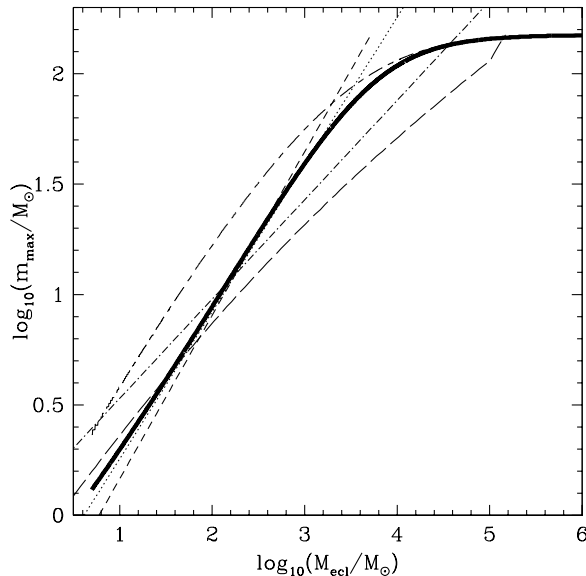
Figure 1. Different relations between the most-massive star and the cluster mass from observations, numerical calculations and theoretical modelling from the literature. The *dash-dotted* line marks the empirical relation by Larson (2003), the *long-dashed line* is the Elmegreen (1983) relation, the *short-dashed line* is the Elmegreen (2000) relation, the *dotted line* shows the Bonnell et al. (2003) relation, the *short-dashed-long-dashed line* is the Oey & Clarke (2005) relation and the *thick-solid line* is the analytical model of Weidner & Kroupa (2004). See text for more details.

N^2, where N is the number of stars in a cluster. But it should be noted here that the de Wit et al. (2005) result is an *upper limit* for O stars formed in isolation and that more in-depth observations might reduce this sample. For example, HD 165319, an O9.5 I star from the de Wit et al. (2005) sample of 11 stars which are indicated there as one of "the best examples for isolated Galactic high-mass star formation" has a bow-shock front and is therefore a star ejected from a star cluster, possibly NGC 6611 (Gvaramadze & Bomans 2008). Additionally, according to Schilbach & Röser (2008) further 6 of the remaining 10 stars are at distances to star clusters only slightly larger than what they may have travelled during their expected life times. But the current large errors of the space motion of these stars does not allow to constrain the birth places of them.

A non-trivial m_{max}-M_{ecl}-relation, and therefore whether or not the stars in star clusters are randomly sampled from the IMF, would also give more insight and understanding of the process of star-formation. The formation of massive stars ($>$ 10 $M_\odot$) is still not well understood with at least two competing theories (competitive accretion vs. single star accretion) having been developed (Bonnell et al. 1998, 2004; Bonnell & Bate 2006; Tan et al. 2006; Krumholz et al. 2009). An m_{max}-M_{ecl}-relation could imply that the bulk of the low-mass stars form first and the high-mass stars later. The combined feedback of the massive stars would then halt further star-formation.

Here we will show that the observed distribution of the mass, m_{max}, of the most-massive star in a star cluster cannot be drawn randomly from the IMF for clusters more massive than 100 $M_\odot$ but that there must exist a physical relation between m_{max} and the birth stellar mass of the cluster, M_{ecl} (the stellar content before gas expulsion but after cessation of star formation).

2 THE DATA

2.1 Sample construction

In order to construct a sufficiently large observational sample to test whether random sampling from the IMF is an acceptable model in star clusters the available literature was searched for star clusters which are young enough to not have experienced supernova events and are dynamically rather un-evolved. For the latter the star clusters should still be embedded in their natal gas cloud or at least be very young, such that gas expulsion would not have effected them strongly (Lada et al. 1984; Goodwin 1997; Kroupa et al. 2001; Goodwin & Bastian 2006; Weidner et al. 2007; Pellerin et al. 2006; Bastian & Goodwin

2006; Wang et al. 2008). Therefore only clusters younger than 4 Myr have been included in our sample. Additionally, the young age limits the amount of mass-loss experienced by massive stars due to stellar evolution.

An allegedly suitable sample of objects discussed by Parker & Goodwin (2007) and Maschberger & Clarke (2008) is the one compiled by Testi et al. (1997, 1998, 1999) as these authors were explicitly searching for clusters around young A and B stars. We do not use the majority of the clusters from these studies for the following reasons: a) the majority are too old (> 4 Myr for 25 of 35 objects) or they are b) gas-free. The age limit imposed here is given by the short life time of massive stars and to limit stellar mass-loss of the massive stars. Completely gas-free objects are unsuited for the task of this work as gas-expulsion will remove large amounts of stars and therefore reduce the mass of the cluster, M_{ecl}, significantly (Kroupa et al. 2001; Weidner et al. 2007). The exception are four objects which this sample has in common with the near infra-red study of young star-forming regions by Wang & Looney (2007) and which are all included in our study. Based on similar arguments Maschberger & Clarke (2008) also excluded the Testi et al. (1997, 1998, 1999) sample from their final statistical analysis.

A very recent additional sample is provided by Faustini et al. (2009). The authors study 26 high-luminosity IRAS sources and find that 22 of them show evidence for clustering. They model 9 of these clusters in order to derive cluster masses and the mass of the most massive stars. This sample is included in our study, too. But because the results are based on modelling, different symbols for them are used in subsequent plots. Faustini et al. (2009) conclude that the masses of the most-massive star in these clusters are also not reconcilable with random sampling of the stars from the IMF.

2.2   Mass of a cluster versus number of stars in a cluster

The claim has been made (Parker & Goodwin 2007; Maschberger & Clarke 2008) that the number of stars within a star cluster, N_{ecl}, gives a better statistical description of the cluster compared with the cluster mass, M_{ecl}, because N_{ecl} is an observed quantity and statistically more easily manageable. This is, however, not entirely true as observational biases handicap N_{ecl} to a larger extent than M_{ecl}. As the lower mass limit of the observations depend on telescope time, distance of the object, reddening and observed colour range, the different clusters have to be normalised to the same lower mass limit in order to make them comparable. This is done for N_{ecl} in the same way as for M_{ecl} – by extrapolating the stars in the observed mass range to a general mass range (0.01 to 150 $M_{\odot}$ in this study) with the use of an IMF. Therefore, N_{ecl} is *not* an observed quantity but an estimated one. But the sources for potential error are much larger in the case of N_{ecl} than compared with M_{ecl}, as the observed number of stars gives every star the same statistical weight, regardless if it is an M dwarf or an O supergiant. But low-mass stars and brown dwarfs are easy to miss due to being faint but also due to un-resolved binarity and crowding of stars (Maíz Apellániz 2008; Weidner et al. 2009). Very young low-mass PMS stars and brown dwarfs are still difficult to model because they are dominated by the unknown accretion history, and magnetic fields and fast rotation have a strong influence (Chabrier et al. 2007; Ribas et al. 2008). Therefore is the observational lower mass limit highly model-dependent and has large errors. Because the IMF is dominated in number by low-mass objects (85% of all stars are below 0.5 $M_{\odot}$ for the IMF described in Appendix A) uncertainties in the lower mass limit severely affect the N_{ecl} estimate. The mass, M_{ecl}, in contrast is far easier to estimate by the number of high-mass stars (Maíz Apellániz 2009). Likewise, the stellar evolution models of massive stars still include large uncertainties. As in the case of low-mass stars, the effects of fast rotation and magnetic fields in these stars are not well understood. Massive stars are small in numbers (6% of all stars are above 1 $M_{\odot}$) but dominate the cluster in mass (50.7% of the total mass is in stars above 1 $M_{\odot}$ for a cluster comprised of 0.01 to 150 $M_{\odot}$ objects according to the canonical IMF as described in Appendix A). Because of the intrinsic brightness of these objects they are easy to access observationally and difficult to miss. While the binary frequency might be lower for low-mass stars ($\sim$ 35%) compared to massive stars (20% to 80%, Garmany et al. 1980; García & Mermilliod 2001; De Becker et al. 2006; Kiminki et al. 2007; Lucy 2006; Apai et al. 2007; Sana et al. 2008; Turner et al. 2008; Weidner et al. 2009), the effect of un-resolved binaries is smaller for the mass estimate than for the number estimate. If all stars were in un-resolved binaries, N_{ecl} would miss 50% of the stars while M_{ecl} would miss only 16 to 30%, depending on the mass-ratio distribution (Weidner et al. 2009). We therefore choose to study m_{max} in dependence of M_{ecl} rather than N_{ecl}.

2.3   Additional issues

If gas-expulsion already starts early on, before the explosion of supernovae, even the young objects presented here might be effected by mass-loss due to the unbinding of stars from the cluster.

One possible additional effect which might deplete very young star clusters especially from massive stars are dynamical ejections after stellar encounters in the dense decoupled cores of massive clusters (Clarke & Pringle 1992; Pflamm-Altenburg & Kroupa 2006). Unfortunately, this effect is impossible to avoid or to correct for reliably and might lead to an additional underestimation of the cluster masses, but it is unlikely that the most-massive star is ejected from the cluster.

Already in Weidner & Kroupa (2006) a first set of young star clusters and their most massive stars were presented. In the current contribution the Weidner & Kroupa (2006) list is included, corrected for a few errors and significantly expanded. The sample of 100 both new and previously published star clusters is shown as Tab. B1 in Appendix B. The table shows two mass

Table 1. For these massive stars in star clusters dynamical mass estimates exist from the orbits of binaries.

Cluster	Star	Sp Type	$m_{\text{dynamical}}$ $M_\odot$	m_{old} $M_\odot$	m_{new} $M_\odot$	$m_{\text{ini new}}$ $M_\odot$	Ref.
Trumpler 14/16	FO15B	O9.5V	16.0 ± 1.0	23.3 ± 2.0	16.5 ± 1.5	17.9 -3.9/+3.1	(1)
Trumpler 14/16	FO15A	O5.5V	30.0 ± 1.0	50.4 ± 6.0	34.2 ± 3.0	37.7 -3.7/+7.3	(1)
M42	Θ Orionis C1	O6Vpe	35.8 ± 7.2	45.0 ± 5.0	31.7 ± 6.0	34.3 -4.3/+4.7	(2)
Trumpler 14/16	HD93205A	O3V	56.0 ± 4.0	87.6 ± 12.0	58.3 ± 10.0	64.6 -4.6/+5.4	(3)
Westerlund 2	WR20a A	WN6ha	82.7 ± 5.5	-	-	121.0 -41.0/+29.0	(4)
NGC3603	NGC3603-A1	WN6ha	116.0 ± 31	120.0 ± 15.0	-	121.0 -41.0/+29.0	(5)

1 Niemela et al. (2006), [2] Kraus et al. (2009), [3] Morrell et al. (2001), [4] Nazé et al. (2008), [5] Schnurr et al. (2008)

values for the mass of the most-massive star. The one in column # 3 is based on the Vacca et al. (1996) spectral class to stellar mass conversion. In column # 4, additionally, a new spectral class to mass conversion is used. It is based on Martins et al. (2005) and Martins & Plez (2006) who provide two new transformations of O-star spectral types into masses, which are both rather similar. One is based on a theoretical effective temperature scale and the other on an observational one. The authors note that their new calibration should represent a significant improvement over previous calibrations, due to the detailed treatment of non-LTE line-blanketing in their calculations. Using the new transformation based on the theoretical effective temperature scale (table 1 in Martins et al. 2005), all the clusters with O stars ($m \gtrsim 16 M_\odot$) in Tab. B1 are re-examined. The resulting new spectral masses are corrected for stellar evolutionary effects (Weidner 2009) and the new masses for the most-massive stars are compiled in column # 4 of the same table. The difference between the old and the new calibration is visiualised in Fig. B1 in Appendix B. As is shown there, in all but four cases the new calibration results in stellar masses significantly lower than the old values. Note that the new calibration by Martins et al. (2005) is only provided up to a spectral type of O3. This might not include the most massive stars observed but no general consensus exists in spectral classifying of extremely massive stars. While, traditionally they would be of spectral type O3 some classify them as spectral type O2 or even earlier (Walborn et al. 2002) while others prefere a Wolf-Rayet star classification (for example WN6h, Crowther 2007). In these cases the corrected values based on the Crowther (2007) Wolf-Rayet scheme in Weidner (2009) are used.

An additional complication in the determination of the masses of the most-massive stars is due to possible binary stellar evolution (BSE). Massive stars are often found in close binaries of rather similiar masses (Weidner et al. 2009) and therefore BSE might have affected the evolution and hence the observational parameters of the stars (Wijers et al. 1996; Tout et al. 1997; Hurley 2003; Zhang et al. 2005).

Except for a few cases the cluster masses are derived by extrapolating from the given number of stars above a certain mass limit or within certain limits to a mass range of 0.01 to 150.0 $M_\odot$ with a canonical IMF (see Appendix A).

Several cluster masses given in Carpenter et al. (1993) are used as lower limits only in this study because of incompleteness and uncertain differential reddening.

In Appendix C notes on some individual clusters can be found.

2.4 Dynamical masses

In recent years observational techniques allowed to measure masses of very massive stars directly by observing the orbits of massive eclipsing binaries. In Table 1 the dynamical mass estimates for six very massive stars are compared with old and new spectroscopic estimates. Two of these six stars (WR20a A and Θ Orionis C1) happen to be the most massive stars in two clusters (Westerlund 2 and M42). Also shown in Tab. 1 are the initial masses for these stars, $m_{\text{ini new}}$, derived by matching the luminosity and effective temperature of the newly calibrated O star spectral types by Martins et al. (2005) with the values from the Meynet & Maeder (2003) rotating stellar evolution models for massive stars (for details see Weidner 2009). Generally, the new spectroscopic mass estimates from the new calibration agree much better with the dynamical masses than the old spectroscopic mass estimates. For the analysis done in this work for WR20a A and Θ Orionis C1 the dynamical masses are used for the old calibration and $m_{\text{ini new}}$ for the new one.

2.5 The cluster sample

Table B1 in Appendex B includes the Weidner & Kroupa (2006) sample of most-massive stars in star clusters together with the new entries compiled here from the literature. Fig. 2 shows the most-massive-star vs. star-cluster-mass relation from this table using the old stellar masses for the O stars. Futhermore, the Fig. shows the theoretical analytic result (the *thick solid line*) from Weidner & Kroupa (2004), which numerically solves eqs. 2 and 3 but with the canonical multi-part power-law IMF and assuming a fundamental upper mass limit for stars, $m_{\text{max}*} = 150 \ M_\odot$ to arrive at a relation for $m_{\text{max}} = f_{\text{ana}}(M_{\text{ecl}})$.
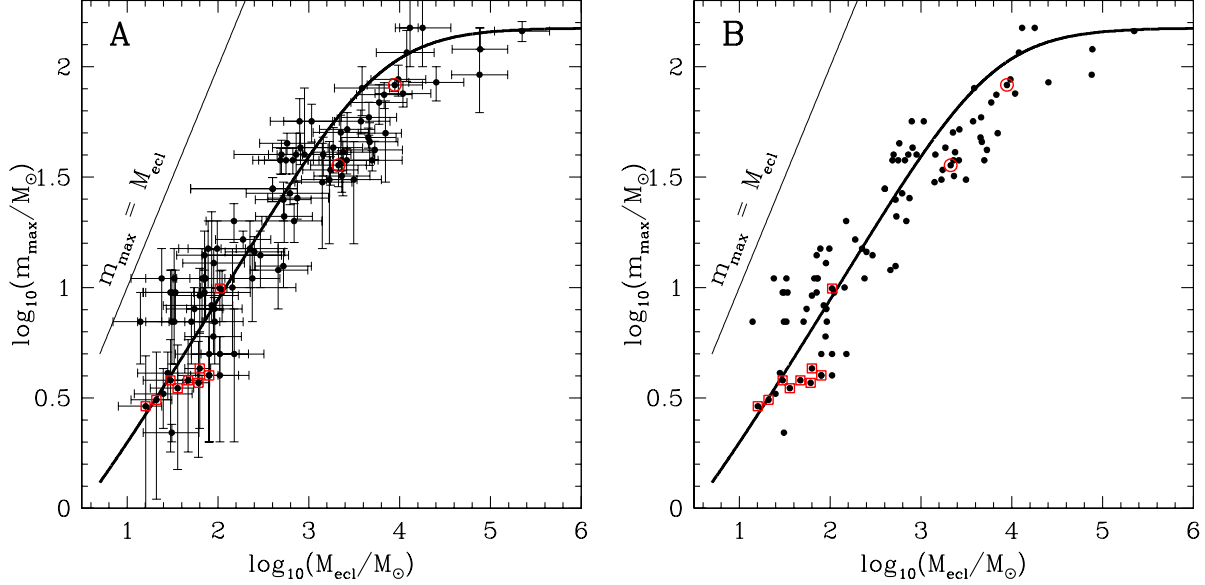
Figure 2. Plot of the most-massive-star vs. star-cluster-mass data using the literature values for the stellar masses and the old effective temperature scale calibration for O-stars. *Panel A*: With error bars and *panel B* without error bars. The *thick solid line* represents the analytic model from Weidner & Kroupa (2004), see also Fig. 1. The literature values with *circles* around them have dynamical mass estimates for the most-massive star while the ones with *boxes* are the sample of Faustini et al. (2009) for which the masses of the most-massive stars are only indirectly calculated. The *thin solid line* marks the identity when a cluster is made of only one star.

The masses of the most-massive stars derived from the new spectral type to mass conversion are shown in Fig. 3 together with the same lines as in Fig. 2.

2.5.1   Errors

The error bars for M_{ecl} in Tab. B1 are either directly taken from the respective literature source, or by assuming an uncertainty of 100% in the number of observed stars. For m_{max} the errors are again taken either directly from the literature or the spectral type is converted to mass by the Vacca et al. (1996) tables for column # 3 and Martins et al. (2005) for column # 4[3] and the spectral subtype +1 and -1 is used as the upper and lower limit for the stellar mass[4], respectively. The errors in the distance and age are from the literature only.

3   STATISTICAL ANALYSES

In the supplement of Pflamm-Altenburg & Kroupa (2008) the probability for the ith massive star randomly chosen from a number of stars N is given, assuming $m_{max*} = 150\ M_\odot$. For $i = 1$ (the most-massive star) the probability is,

$$p_{N(m)} = N \left(\int_{m_{min}}^{m} \widetilde{\xi}(m) dm \right)^{N-1} \widetilde{\xi}(m), \qquad (7)$$

with $\widetilde{\xi}(m) \propto \xi(m)$ being the probability density distribution and $\xi(m)$ the IMF as described in Appendix A.

In order to get the number of stars, N, required for eq. 7 for a given cluster with M_{ecl}, an array of cluster masses between $5\ M_\odot$ and $10^6\ M_\odot$ is divided by the mean mass, m_{mean}, of the IMF. For the IMF used here (see appendix A for details) $m_{mean} = 0.36\ M_\odot$, if $m_{min} = 0.01\ M_\odot$ and $m_{max*} = 150\ M_\odot$.

Fig. 4 shows the distribution obtained by random sampling (eq. 7) for two examples of $N = 278$ (*dash-dotted line*) and $N = 11111$ (*solid line*). For each N the five statistical values are calculated.

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[3] The masses are corrected for stellar evolutionary effects as described in Weidner (2009).
[4] For example, for an O4 V star the spectral types O5 V and O3 V are used to determine the lower and upper mass limit.
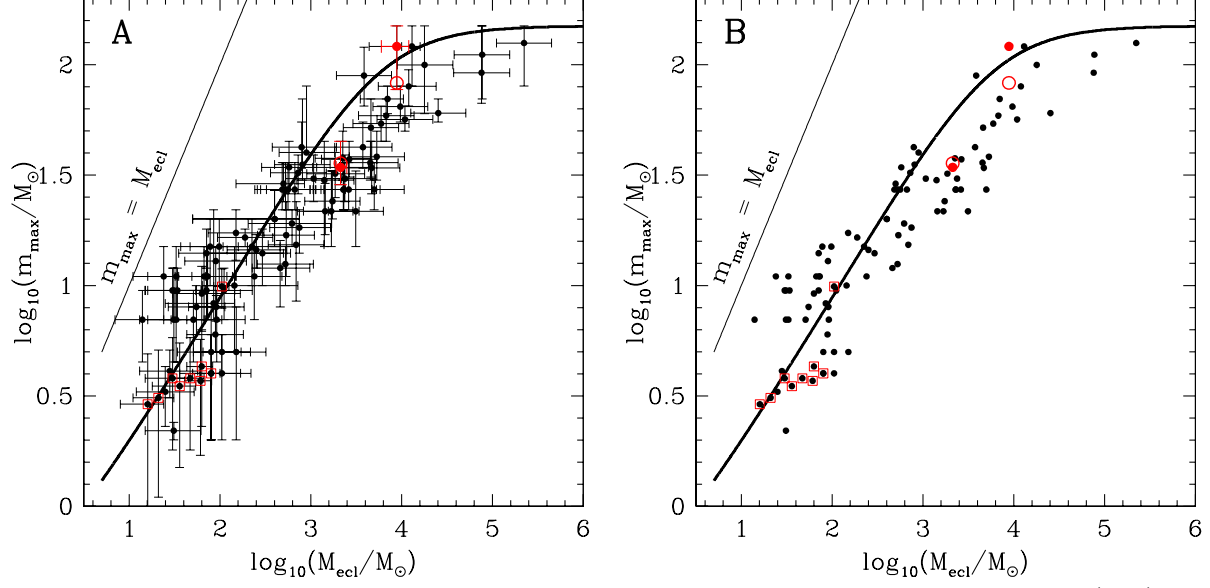
Figure 3. Like Fig. 2 but using the new effective temperature-scale calibration for O-stars from Martins et al. (2005) corrected for evolutionary effects to initial masses (Weidner 2009). *Panel A*: With error bars and *panel B* without error bars. The dynamical mass estimates are shown only as *open circles* as the evolutionary correted initial masses are used for the actual analyses.
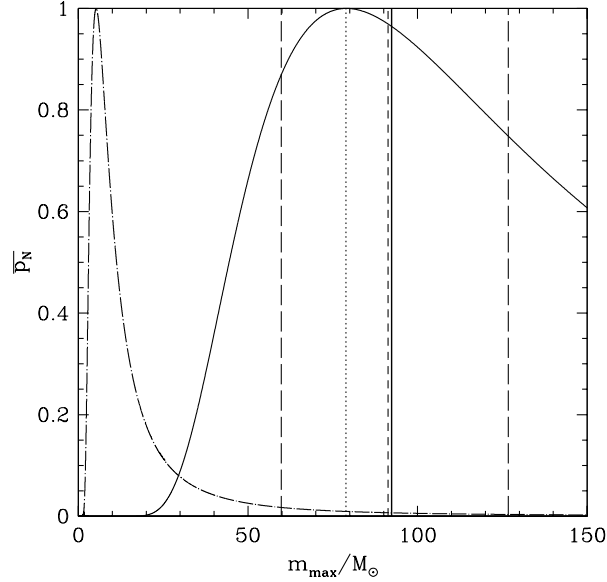
Figure 4. The *solid* line shows the distribution of the most-massive star for $N = 11111$ ($M_{ecl} \approx 4000\ M_\odot$) and the *dash-dotted* line is the same for $N = 278$ ($\approx 100\ M_\odot$) according to eq. 7. In this plot p_N is normalised to 1 at the most common (mode) value in order to give both curves the same height. For the $N = 11111$ case the following statistical properties are also shown: the *vertical dotted line* is the mode, the *vertical dashed line* is the median, the *vertical solid line* is the expectation value and the two *vertical long-dashed lines* mark the 1/6th and 5/6th quantiles. See text for further details.

- The arithmetic mean or expectation value, marked as a *solid vertical line* for the $N = 11111$ case in Fig. 4, is the sum of all most-massive stars divided by the number of clusters.
- The mode value (*dotted vertical line* in Fig. 4) marks the most common value (the peak in Fig. 4) of the distribution.
- The median value (*dashed vertical line* in Fig. 4) is the value which divides the distribution in two. 50% of the values are above the median while 50% are below.
- The 1/6th quantile (the left *long-dashed vertical line* in Fig. 4) is the value below which 1/6th of data points lie.
- The 5/6th quantile (the right *long-dashed vertical line* in Fig. 4) is the value above which 5/6th of data points lie.

The 1/6th and 5/6th quantiles define the region within which lie two thirds of the most-massive stars lie for random sampling of stars from the IMF (eq. 7).

3.1   Completeness of the sample

The completeness of the cluster sample presented here strongly depends on the total number of star clusters expected for the Milky Way (MW) which are younger than 4 Myr. This depends on the assumed current star-formation rate (SFR) of the MW (0.8 - 13 $M_\odot$ yr^{-1}, Diehl et al. 2006, and references therein), the slope of the embedded cluster mass function ($\beta = 1.8$ - 2.3, Lada & Lada 2003), where $dN_{ecl} = M_{ecl}^{-\beta}dM_{ecl}$ is the number of just formed embedded clusters with stellar mass in the interval M_{ecl}, $M_{ecl} + dM_{ecl}$, and the assumed lower mass limit for star clusters (5 to 100 $M_\odot$, Weidner & Kroupa 2006). With the observationally favoured parameters being $SFR = 4.0\ M_\odot$ yr^{-1}, $\beta = 2.0$ and $M_{ecl\ min} = 5M_\odot$. The total number of young star clusters in the MW lies therefore between 10^4 and 10^6 clusters. The majority of these have masses less than 100 $M_\odot$ and any surveys of them are severely incomplete. For a completeness estimate we therefore restrict ourselves to clusters more massive than 1000 $M_\odot$ as they are far fewer in numbers and more easily identified in the MW. For the whole range of parameters of the MW the number of young star clusters more massive than 1000 $M_\odot$ lies somewhere between 160 and 4452, with 1478 being the value for the observationally favoured parameters. The sample shown in Tab. B1 includes 30 (-5/+6) clusters which are in the MW and more massive than 1000 $M_\odot$ within the uncertainties. This suggests that between 18.8% (-3.1/+3.7) and 0.7% ($\pm$ 0.1) of all such clusters are in the sample, with 2.0% (-0.3/+0.4) for the favoured parameters. Therefore, one has to keep in mind that any statistical results are possibly limited by the incompleteness of the cluster sample.

3.2   Statistical tests

In *panel A* of Fig. 5 the mode, mean, median and 1/6th and 5/6th quantiles for a fundamental upper mass limit of $m_{max*} = 150\ M_\odot$ are shown together with the data points from column # 4 and the clusters from column # 3 from Tab. B1 which have not been changed by the re-calibration.

Three different statistical tests are applied to the data in order to verify whether or not the observed most-massive stars are consistent with being randomly drawn from the IMF.

3.2.1   *Percentage of stars between the 1/6th and 5/6th quantiles*

As is visible in this Fig. 5 there is a general change in behaviour of the data points around a cluster mass of about 100 $M_\odot$ and around 1000 $M_\odot$ with respect to what is expected from random sampling. Below the 100 $M_\odot$ limit the data show a larger spread while above 1000 $M_\odot$ the slope of the m_{max}–M_{ecl}-relation changes. *Panel A* of Fig. 6 shows the percentage of the most-massive stars within the 1/6th and 5/6th quantiles in three samples, one for the clusters below 100 $M_\odot$, one for the clusters between 100 and 1000 $M_\odot$ and one for the ones above 1000 $M_\odot$. Additionally, the figure shows the same numbers for different assumptions on the fundamental upper mass limit (m_{max*}) for stars. Here the clusters above 1000 $M_\odot$ (filled and open triangles) are far below the 2/3rd range which would be expected from random sampling. The clusters below 100 $M_\odot$ (filled and open circles) and the intermediate clusters (100 to 1000 $M_\odot$, filled and open squares) are very tightly within the 1/6th and 5/6th quantiles. About 90% and 78% of the clusters are within the range, respectively. In *panel B* of Fig. 6 the same is shown but including the error bars for m_{max} and M_{ecl} from Tab. B1 by making the same calculations as before but using the minimal and maximal values for m_{max} and M_{ecl}. The low-mass clusters are still more tightly distributed within the 1/6th and the 5/6th quantiles than expected. The intermediate and high-mass cluster seem to be consistent with random sampling when the maximum effect of the errors is applied to the data.

3.2.2   *Distribution around the Median*

Also important is the distribution of the $m_{max\ obs}$ values around the median of the expected distribution for random sampling. The median is the statistical value for which 50% of the data should lie above and below. For the whole sample 25.7% are above the median and 74.3% below if one uses the new Martins et al. (2005) O star mass scale and assumes a fundamental
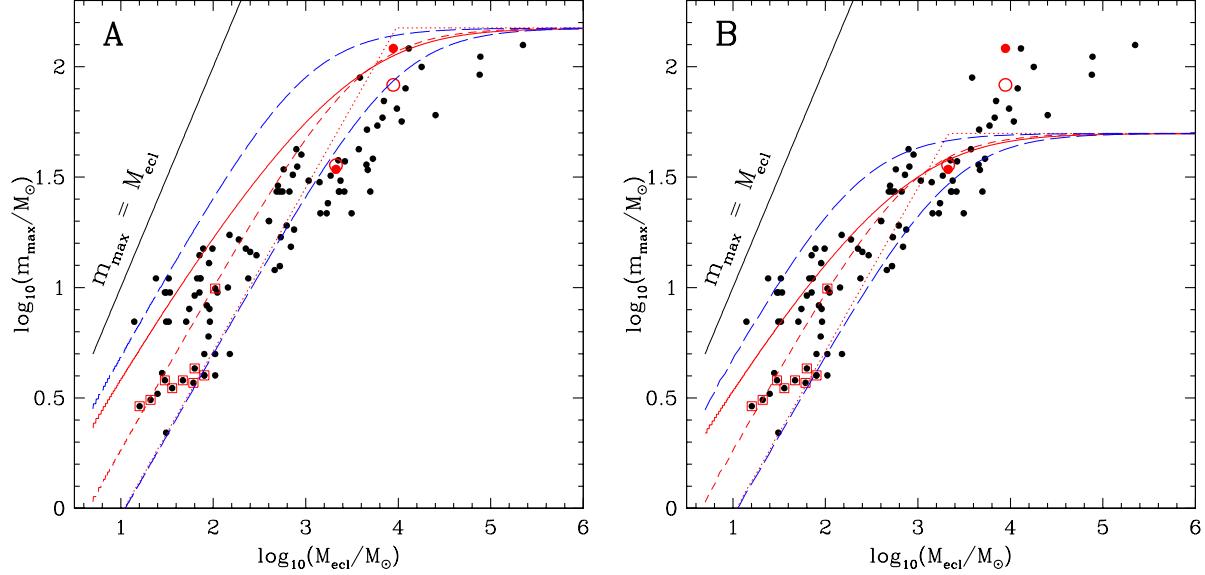
Figure 5. *Panel A*: Most-massive star vs cluster mass. The dots are the observed values from column # 4 from Tab. B1. The two *open circles* indicate existing dynamical estimates for the present-day mass of the most-massive stars. The *boxed* data are from the sample of Faustini et al. (2009). The *dotted* line refers to the mode value for random sampling, the *short-dashed* line to the median value, the curved *solid* line marks the mean value and the two *long-dashed* lines are the 1/6th (lower) and 5/6th (upper) quantiles between which 2/3rd of the data points should lie if they were randomly sampled from the IMF over the mass range 0.01 $M_\odot$ to $m_{\mathrm{max}*} = 150 \ M_\odot$. The thin *solid* line to the left marks the identity where the cluster is made-up only of one star. *Panel B*: The same as *panel A* but assuming a fundamental upper mass limit for stars of $m_{\mathrm{max}*} = 50 \ M_\odot$ instead of 150 $M_\odot$.

upper mass limit of $m_{\mathrm{max}*} = 150 \ M_\odot$. In the sub-sample of clusters below 100 $M_\odot$ there are 56.8% above and 43.2% below the median, for the clusters with $100 < M_{\mathrm{ecl}} \leqslant 1000 M_\odot$ there are 13.3% above and 86.7% below the median while for the high-mass clusters 2.9% and 97.1% are above and below the median, respectively. In Fig. 7 the distribution of $m_{\mathrm{max\ median}} - m_{\mathrm{max\ obs\ new}}$ is shown for the whole cluster sample (*panel A*) and for the clusters below $10^3 M_\odot$ (*panel B*). For the old O star mass scale the distribution is shown in Fig. 8. The percentages in the case of the old O star mass scale are 35.6/64.4% for the total sample and 56.8/43.2%, 40.0/60.0% and 8.8/91.2% for, respectively, the clusters below 100 $M_\odot$, the clusters with $100 < M_{\mathrm{ecl}} \leqslant 1000 M_\odot$ and the clusters above $10^3 M_\odot$.

### 3.2.3   *Wilcoxon-Signed-Rank-Test*

The Wilcoxon signed rank test (Bhattacharyya & Johnson 1977)[5], tests whether or not the data is consistent with being symmetrically distributed around the median. It reveals for the new calibration a probability[6], $p(M_{\mathrm{ecl}} \leqslant 100 M_\odot)$, of 0.014 for clusters with masses smaller or equal to 100 $M_\odot$, a $p(100 M_\odot < M_{\mathrm{ecl}} \leqslant 1000 M_\odot)$ of $1.9 \cdot 10^{-7}$ for cluster masses between 100 and 1000 $M_\odot$ and a $p(M_{\mathrm{ecl}} > 1000 M_\odot)$ of $2.8 \cdot 10^{-9}$ for the clusters above 1000 $M_\odot$. For the old calibrations the probabilities are $p(M_{\mathrm{ecl}} \leqslant 100 M_\odot) = 0.014$, $p(100 M_\odot < M_{\mathrm{ecl}} \leqslant 1000 M_\odot) = 0.035$ and $p(M_{\mathrm{ecl}} > 1000 M_\odot) = 1.2 \cdot 10^{-8}$.

### 3.3   Dependence on the high-mass IMF slope

The general assumption in this paper, that the stars in a star cluster follow a universal IMF which is characterised by a Salpeter/Massey slope of 2.35 for all stars above 0.5 $M_\odot$, is strongly supported by almost all observational evidence (see appendix A for a list of references). However, if the IMF-slope for high-mass stars is steeper than 2.35, it is not sure whether or not a fundamental upper mass limit exists, as was pointed out by Oey & Clarke (2005). Fig. 9 shows the mean, median, mode, 1/6th and 5/6th quantiles for two different assumptions of the high-mass slope of the IMF. In *Panel A* the slope for stars more massive than 25 $M_\odot$ is changed to $\alpha_3 = 3.0$ and in *Panel B* to $\alpha_3 = 4.1$, while $\alpha_2 = 2.35$ for stars between 0.5

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[5] A short introduction into the test and pre-calculated tables for the probabilities for different N can be found at: http://comp9.psych.cornell.edu/Darlington/index.htm
[6] ~ 0.1 is the highest probability the Wilcoxon Signed Rank test allows for.
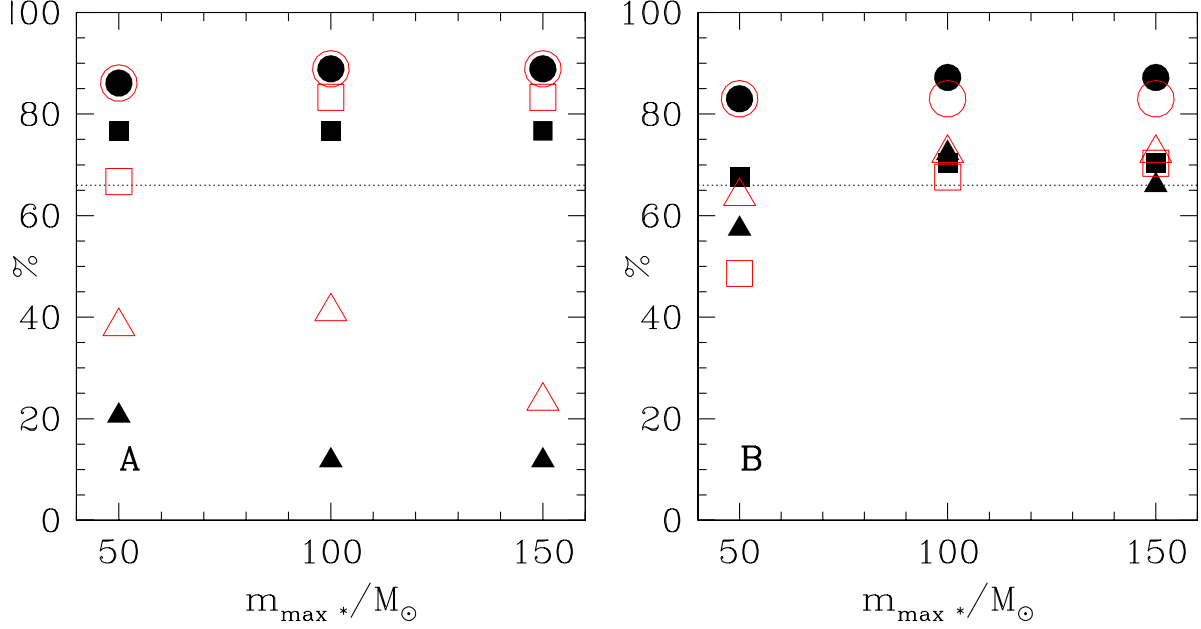
Figure 6. Percentage of most-massive stars within the 1/6th to 5/6th quantiles for three different assumptions of the fundamental upper mass limit, $m_{\mathrm{max}*}$, of 50, 100 and 150 $M_\odot$. *Solid symbols* refer to the new O star calibration in Tab. B1 and *open symbols* to the old one. *Circles* mark the percentages for clusters below $10^2 M_\odot$ while *squares* are for $100 < M_{\mathrm{ecl}} \leqslant 10^3 M_\odot$ and *triangles* mark clusters more massive than $10^3 M_\odot$. *Panel A*: These values do not take into account the errors in M_{ecl} and m_{max} in Tab. B1 while in *panel B* these errors are included. The horizontal *dotted line* at 66% marks the fraction of stars that ought to lie between the 1/6th and 5/6th quantiles if random sampling between 0.01 $M_\odot$ and $m_{\mathrm{max}*}$ were true.
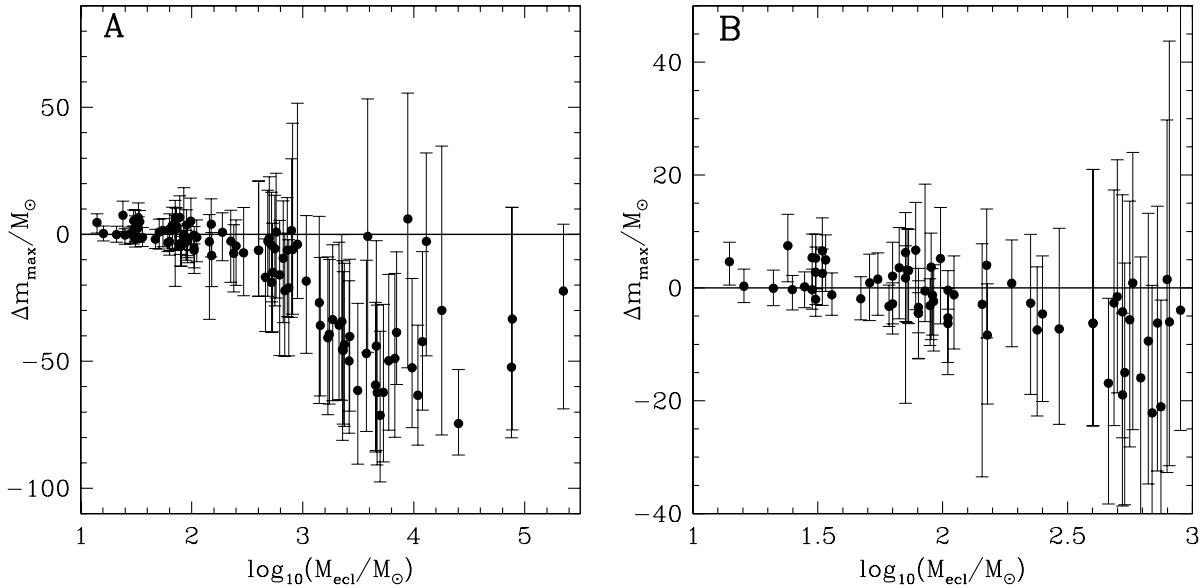
Figure 7. Distance of the observed most-massive star from the expected median for random sampling up to $m_{\mathrm{max}*} = 150\ M_\odot$. Here the new Martins et al. (2005) mass scale is used for O stars. *Panel A* show the whole sample while *panel B* contains only the clusters below $10^3 M_\odot$. For random sampling over the mass range 0.01 $M_\odot$ to 150 $M_\odot$ the data ought to be distributed symetrically about $\Delta m_{\mathrm{max}} = 0$.
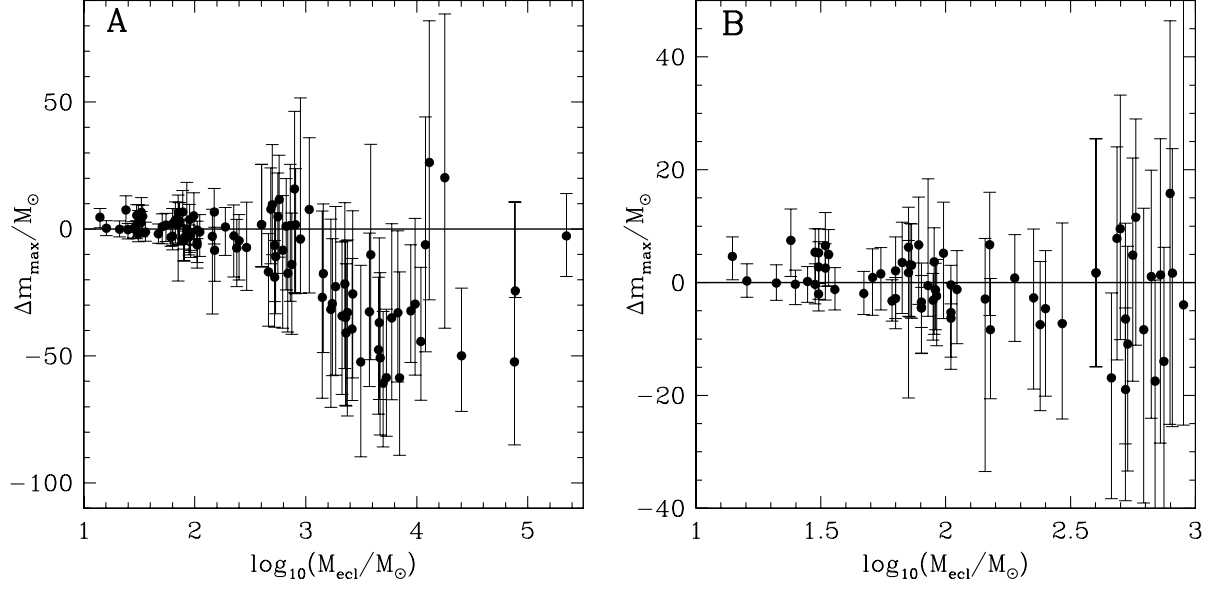
Figure 8. Like Fig. 7 but for the old O star calibration.
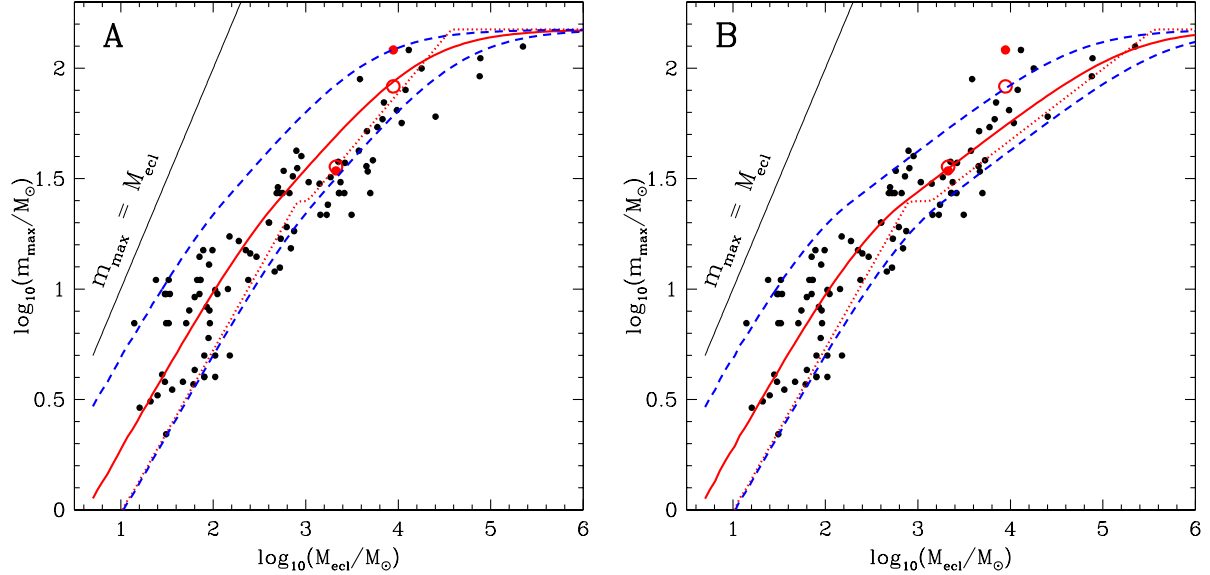
Figure 9. Like Fig. 5 but the IMF slope above 25 $M_{\odot}$ is 3.0 (*Panel A*) and 4.1 (*Panel B*) instead of the Salpeter value of 2.35. The *solid line* is the median, the *dotted line* is the mode and the *dashed lines* are the 1/6th (lower) and the 5/6th (upper) quantiles.

and 25 $M_{\odot}$ in both cases. 25 $M_{\odot}$ was chosen because it is the $m_{\max}$ value of the plateau like feature for clusters with masses between 10^3 and $4 \cdot 10^3$ $M_{\odot}$. Only for a slope as steep as $\alpha_3 = 4.1$ are 50% of stars above and below the median. A slope steeper than $\alpha_3 = 3.7$ is needed in order to have more than 60% of the stars within the 1/6th and 5/6th quantiles. Such steep slopes for the high-mass IMF within star clusters are clearly ruled out by the current state of observations (Massey 1998; Elmegreen 1999; Kroupa 2001; Larson 2002b).
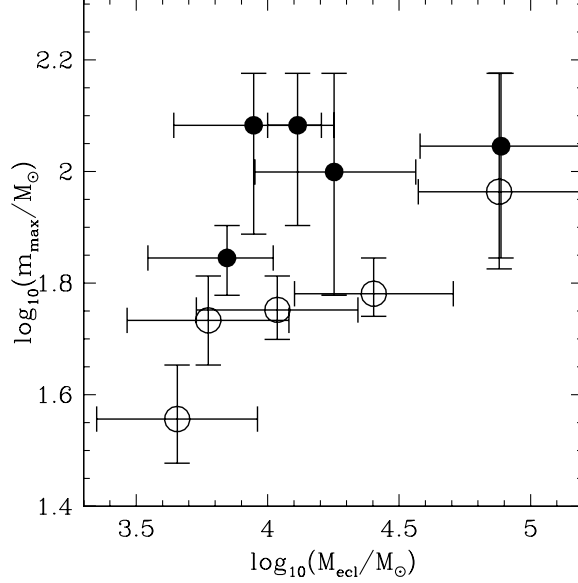
Figure 10. Like Fig. 3 but only the clusters which are in common with the Pfalzner (2009) sample. *Filled circles* are clusters with radii smaller than 1 pc while the *open circles* are the clusters with larger radii.

3.4 Dependence on the environment

Very recently, Pfalzner (2009) studied the dissolution behaviour of young (1 to 20 Myr) massive star clusters (2000 to 50000 $M_\odot$). She found that her sample of 23 clusters can be divided into two groups, loose clusters ($R_{ecl} > 1$ pc) and tight clusters ($R_{ecl} < 1$ pc), where R_{ecl} is her estimated cluster radius. The radii of the groups each follow a rather tight sequence with time. While the tight clusters expand from ~ 0.5 pc to 3 pc the loose ones evolve from 4 pc to 20 pc on the same time scale, parallel to the tight ones. Of these 23 clusters 10 are included in our cluster sample. 5 of them are tight clusters ([OBS 2003] 179, Westerlund 2, NGC 3603, Trumpler 14, Arches) and 5 are loose ones (NGC 7380, NGC 2244, IC 1805, NGC 6611, Cyg OB2). When comparing the most-massive stars against the cluster mass of these two subsets, as is done in Fig. 10, it seems that the clusters which form tighter and are therefore more dense, have on average a more massive maximal star, while the loose clusters prefer less massive maximal stars. For the tight subset a linear function can be fitted with a slope of 0.09 ± 0.39 and a rather low linear correlation coefficient of 0.35 ± 0.47. The slope for the loose sample is 0.27 ± 0.16, somewhat steeper than for the tight sample within the error bars, but the linear correlation coefficient is much larger, about 0.92 ± 0.08 . The combined sample has a slope of 0.22 ± 0.23 with a linear correlation coefficient of 0.52 ± 0.47. Therefore, the difference in slopes might be indicating a physical dependence of the mass of the most massive star not only on the cluster mass (previous sections) but also on the cluster density. But the large error bars make a more definite statement difficult. Also it should be noted here that the R_{ecl} estimates for the all the loose clusters of the Pfalzner (2009)-sample are the measured median distances of early B type stars in theses clusters (Wolff et al. 2007) and therefore might not be directly comparable to radii arrived at with different methods.

Low-mass young clusters are found to be generally small ($\lesssim 1$ pc, Testi et al. 1998; Gutermuth et al. 2005; Testor et al. 2005; Rathborne et al. 2006; Scheepmaker et al. 2007) so it is unclear if and how such a correlation between the most-massive star and the cluster radius extends to lower masses.

3.5 A simple Model

A simple yet sufficient model to describe the plateau of most-massive stars between 1000 and 4000 $M_\odot$ and the behaviour at higher cluster mass might be the following. The model assumes that the mass of the most-massive star is linked to the proto cluster mass due to stellar feedback. For a range of cluster masses, M_{ecl} (10 to 10^6 $M_\odot$), cluster radii, R_{ecl} (from 0.1 to 1.0 pc), and star-formation efficiencies, SFE (0.3 to 0.8), the velocity dispersion, σ, is calculated by

$$\sigma = \sqrt{\frac{3\pi G}{2} \frac{M_{ecl}}{R_{ecl} \, \mathrm{SFE}}}, \tag{8}$$
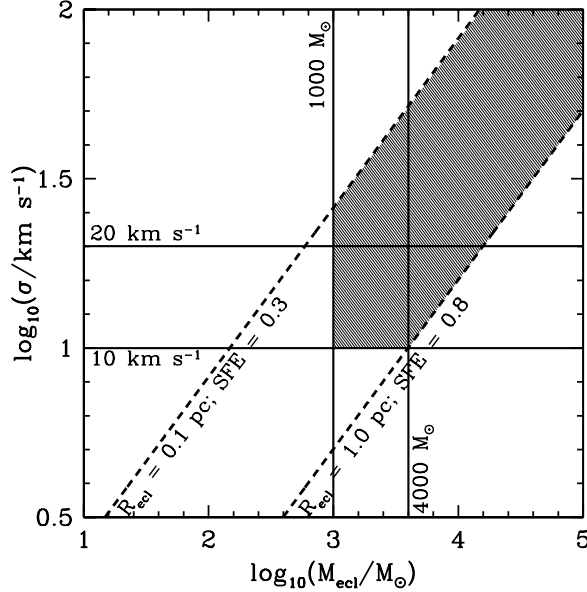
Figure 11. The *dashed lines* show the dependence of the velocity dispersion, σ, in the cluster on $M_{\rm ecl}$ for a range of cluster radii (0.1 to 1 pc) and star-formation efficiencies (0.3 to 0.8). The *horizontal lines* mark the typical range of velocities for ionised gas, $v_{\rm ion}$ (10 to 20 kms^{-1}), while the *vertical lines* are the plateau of most-massive stars for $M_{\rm ecl}$ from 1000 to 4000 $M_{\odot}$. In the *shaded region* are lying models for which σ is larger than $v_{\rm ion}$ and $M_{\rm ecl}$ is larger than 1000 $M_{\odot}$.

where G is Newton's gravitational constant and SFE $= \frac{M_{\rm ecl}}{(M_{\rm ecl} + M_{\rm gas})}$, with $M_{\rm gas}$ being the residual gas mass in the cluster forming volume.

Fig. 11 shows σ within the proto cluster as a function of $M_{\rm ecl}$. It is compared with the typical velocity of ionised gas, $v_{\rm ion}$, which is about 10 to 20 kms^{-1}. As is visible in Fig. 11, σ is larger than $v_{\rm ion}$ for clusters with masses larger than a couple of hundred $M_{\odot}$, regardless of the radii and SFEs. Therefore, it seems possible that such clusters are able to retain the ionised gas longer - allowing the stars to accrete further mass. The fact that σ already overcomes $v_{\rm ion}$ at rather low $M_{\rm ecl}$ for small $R_{\rm ecl}$ and low SFE can be seen as an indication that low-mass clusters might have lower SFEs than massive clusters.

4   RESULTS & DISCUSSION

We have studied the possible dependence of the mass of the most-massive star, $m_{\rm max}$, on the stellar mass, $M_{\rm ecl}$, of the host birth cluster. To this effect we have significantly increased the data sample $m_{\rm max}(M_{\rm ecl})$.

Using the new spectral-type–stellar-mass conversion from Martins et al. (2005) and the here presented sample of most-massive stars in star clusters, it has been shown here that the observed sample divides into three sub-samples, the first being clusters with $M_{\rm ecl} < 100\,M_{\odot}$, followed by clusters between 100 and 1000 $M_{\odot}$ and clusters with $M_{\rm ecl} > 1000\,M_{\odot}$. Furthermore, there is a plateau of constant $m_{\rm max} \approx 25\,M_{\odot}$ for clusters with masses between 1000 and 4000 $M_{\odot}$.

• $M_{\rm ecl} < 100 M_{\odot}$: The percentage of stars between the 1/6th and 5/6th quantiles is 89% (83% when taking the error bars into account) which is too tight for random sampling (66%). Such a distribution is highly unlikely with a chance of only 0.2% (0.1% with errors) when calculated from a Binomial distribution. But the distribution around the median and the Wilcoxon singed rank test are compatible with random sampling at a significance of 2 percent.

• $100 < M_{\rm ecl} \leqslant 1000 M_{\odot}$: 77% (70% with errors) of the stars are within the 1/6th and 5/6th quantiles which is somewhat tighter than expected for random sampling (66%). The probability of this to occur is rather high with 8% (13% with errors). But 87% of all clusters are below the random-sampling median where only 50% would be expected and the Wilcoxon singed rank test gives a very low probability ($1.9 \cdot 10^{-7}$) that the data are distributed symmetrically around the median.

• $M_{\rm ecl} > 1000 M_{\odot}$: Only 12% of the data points (66% with errors) are in the 2/3rd interval which is far below the expectation from random sampling (66%). The probability for a random occurance of such a low number with the 2/3rd interval is $4 \cdot 10^{-11}$. Furthermore 97% of the data points are lower than the median and the Wilcoxon singed rank test results in a very low probability ($2.8 \cdot 10^{-9}$) for a symmetric distribution, too.

The clusters in the mass range below 100 $M_{\odot}$ are the ones most compatible with the hypothesis of being randomly
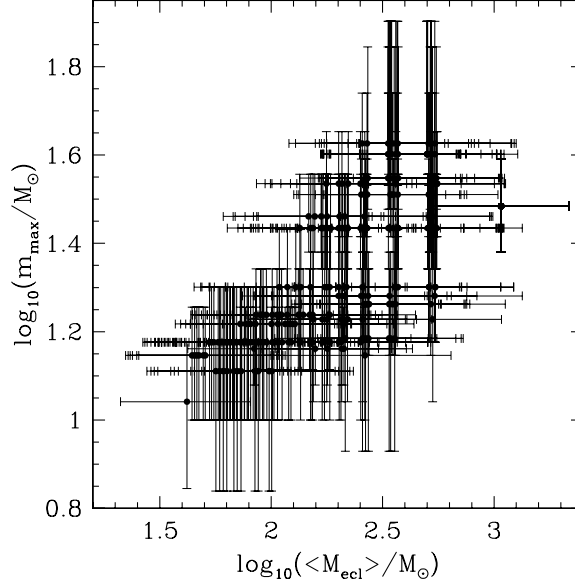
Figure 12. The mass of the most-massive star vs the mean mass of the so-called "superclusters" constructed as in Selman & Melnick (2008). It shows whether or not the observed clusters of higher masses can be made by adding up large numbers of low-mass clusters. The obvious trend of increasing m_{max} with $< M_{\mathrm{ecl}} >$ is a clear indication against such a conclusion.

sampled from the IMF. This is also roughly the range of clusters studied by Maschberger & Clarke (2008). Their result, that the most-massive stars in these clusters could be randomly drawn from a universal IMF, is therefore in accordance with our conclusions. The difference is that here it is shown that this assumption can not be generalised for more massive/richer clusters.

Selman & Melnick (2008) argue that the claim reached by Weidner & Kroupa (2006), that there exists a $m_{\mathrm{max}}(M_{\mathrm{ecl}})$-relation, is due to a size-of-sample effect in the data used by Weidner & Kroupa (2006). We now apply their analyses to our new data set. In appendix A of their paper they use a method of adding up some clusters of the Weidner & Kroupa (2006) sample to so-called "superclusters" of the same mass as NGC 6530 (about 1000 $M_{\odot}$ in the new sample presented here). By comparing the mean mass of the synthetic superclusters with the most-massive star of the component clusters, they show that there is no trend for the most-massive stars to be more massive with cluster mass. Here we repeat the same method with our new sample of clusters. All possible combinations to reach the mass of NGC 6530 from within the sample are used and the most-massive star is plotted over the mean cluster mass, $< M_{\mathrm{ecl}} >$, in Fig. 12. As is seen in the figure the mass of the most-massive star increases with $< M_{\mathrm{ecl}} >$. The Selman & Melnick (2008) explanation for the Weidner & Kroupa (2006) result therefore fails for the new sample.

These results strongly suggest an underlying physical m_{max}–M_{ecl}-relation. They contradict the hypothesis that star clusters are populated with stars by random sampling from the IMF. Only when taking into account the full range of the error bars *and* a very unlikely low fundamental upper mass limit of $m_{\mathrm{max}*} = 50 \, M_{\odot}$ would the complete sample mostly agree with random sampling. But in such a case no stars above 50 $M_{\odot}$ would exist, a result clearly disproved by the dynamical mass measurements for the massive stars in Westerlund 2 and NGC 3603 (see Tab. 1).

The general trend of the most-massive star with cluster mass and the observed plateau between the two cluster mass regimes is therefore most likely a general result of the star-formation process within cluster-forming molecular cloud cores. Several different mechanisms might be responsible for the non-random behaviour of the formation of the most-massive star in star clusters. One such model is explored in § 3.5, where the velocity dispersion within the cluster-forming cloud core is used as a measure for the binding energy of the cloud, and is compared with typical velocities of ionised gas which acts as a proxy for the radiative feedback of the stars. This simple model is already in qualitative agreement with the data, but more detailed studies of how the radiative and mechanical feedback of massive stars scales differently than the binding energy are needed. This may result in a critical M_{ecl} limit at which the one dominates over the other.

Another possible explanation for the existence of an $m_{\mathrm{max}}(M_{\mathrm{ecl}})$-relation might be given by dry mergers. In this scenario massive stars form in smaller sub-clusters which are quickly evacuated by their feedback and these sub-clusters then merge nearly gas-free, allowing only for very little additional accretion, ie mass growth. Only for initially very massive giant molecular clouds, more gas might be accreted during and after the merging of the sub-clusters.

The interesting split of the massive clusters into a tight and a loose subset by Pfalzner (2009, see § 3.4) can be used as an additional constraint on the $m_{\max}$–M_{ecl}-relation. The loose cluster stars form predominately by free-fall collapse of dense cores with little or no further gas accretion into the cluster. But for the tight (high-density) clusters cluster-potential-assisted-accretion is possible which allows for more massive stars to form in these objects. Also stellar collisions, mergers and competitive accretion might play a role in these dense clusters.

A more detailed study of the possible mechanisms to explain the here presented observational evidence for a physical relation between $m_{\max}$ and M_{ecl} will be presented in a follow-on paper.

As the high-mass regime is most important for the question whether the integrated IMF of a galaxy is similar to the IMF derived locally on star cluster scales or not, this discardation of random sampling naturally leads the IGIMF being steeper than expected from individual star clusters. Since the majority of stars seem to form in star clusters but also these clusters are distributed according to a mass function which is dominated by lower mass clusters, the apparent non-randomness of these clusters lead to fewer OB stars per star in a galaxy than expected from random sampling[7].

APPENDIX A: THE STELLAR INITIAL MASS FUNCTION

The following multi-component power-law IMF is used throughout the paper:

$$\xi(m) = k \begin{cases} k' \left(\frac{m}{m_{\mathrm{H}}}\right)^{-\alpha_0} & , m_{\mathrm{low}} \leqslant m < m_{\mathrm{H}}, \\ \left(\frac{m}{m_{\mathrm{H}}}\right)^{-\alpha_1} & , m_{\mathrm{H}} \leqslant m < m_0, \\ \left(\frac{m_0}{m_{\mathrm{H}}}\right)^{-\alpha_1} \left(\frac{m}{m_0}\right)^{-\alpha_2} & , m_0 \leqslant m < m_1, \\ \left(\frac{m_0}{m_{\mathrm{H}}}\right)^{-\alpha_1} \left(\frac{m_1}{m_0}\right)^{-\alpha_2} \left(\frac{m}{m_1}\right)^{-\alpha_3} & , m_1 \leqslant m < m_{\max}, \end{cases} \tag{A1}$$

with exponents

$$\begin{array}{lll} \alpha_0 = +0.30 & , & 0.01 \leqslant m/M_\odot < 0.08, \\ \alpha_1 = +1.30 & , & 0.08 \leqslant m/M_\odot < 0.50, \\ \alpha_2 = +2.35 & , & 0.50 \leqslant m/M_\odot < 1.00, \\ \alpha_3 = +2.35 & , & 1.00 \leqslant m/M_\odot. < m_{\max} \end{array} \tag{A2}$$

where $dN = \xi(m)\,dm$ is the number of stars in the mass interval m to $m + dm$. The exponents α_i represent the standard or canonical IMF and have been corrected for unresolved multiple systems (Kroupa 2001, 2002; Thies & Kroupa 2007, 2008; Weidner et al. 2009). The advantage of such a multi-part power-law description is the easy integrability and, more importantly, that *different parts of the IMF can be changed readily without affecting other parts*. Note that this form is a two-part power-law in the stellar regime, and that brown dwarfs contribute about 4 per cent by mass only and need to be treated as a separate population such that the IMF has a discontinuity near $m_{\mathrm{H}} = 0.08\ M_\odot$ with $k' \sim \frac{1}{3}$ (Kroupa et al. 2003; Thies & Kroupa 2007, 2008). A log-normal form below $1\ M_\odot$ with a power-law extension to high masses was suggested by Chabrier (2003) but is indistinguishable from the canonical form (Dabringhausen et al. 2008) and does not cater for the discontinuity. The canonical IMF is today understood to be an invariant Salpeter/Massey power-law slope (Salpeter 1955; Massey 2003) above $0.5\ M_\odot$, being independent of the cluster density and metallicity for metallicities $Z \gtrsim 0.002$ (Massey & Hunter 1998; Sirianni et al. 2000, 2002; Parker et al. 2001; Massey 1998, 2002, 2003; Larson 2002a,b; Wyse et al. 2002; Bell et al. 2003; Piskunov et al. 2004; Pflamm-Altenburg & Kroupa 2006).

The basic assumption underlying our approach is the notion that all stars in every cluster are drawn from this same universal parent IMF, which is consistent with observational evidence (Elmegreen 1999; Kroupa 2001).

It should be noted here that, while not indicated in eq. A2, there is evidence of a maximal mass for stars ($m_{\max} \leqslant m_{\max*} \approx 150\ M_\odot$, Weidner & Kroupa 2004), a result confirmed by several independent studies (Oey & Clarke 2005; Figer 2005; Koen 2006).

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[7] The IGIMF concept is discussed in great detail in Kroupa & Weidner (2003) and Weidner & Kroupa (2005) and subsequent papers.

APPENDIX B: THE CLUSTER SAMPLE

Table B1. Literature data for the empirical cluster masses ($M_{\rm ecl}$), maximal star masses ($m_{\rm max,obs}$) within these clusters, cluster ages (age), distances (D), the numbers of stars above or within certain mass limits (in $M_\odot$), the name and the spectral type of the most-massive star and references for the data.

Designation	$M_{\rm ecl}$ [$M_\odot$]	$m_{\rm max\ obs\ old}$ [$M_\odot$]	$m_{\rm max\ obs\ new}$ [$M_\odot$]	age [Myr]	D [pc]	# of stars	Id $m_{\rm max}$	Sp Type	Ref.
IRAS 05274+3345	14 -7/+15	7.0 ± 2.5		1.0	1800	15 > 0.24	-	B2	(1)
Mol 139	16 ± 8	2.9 ± 2.0		<1	7300	-	-	-	(2)
Mol 143	21 ± 10	3.1 ± 2.0		<1	5000	-	-	-	(2)
IRAS 06308+0402	24 -13/+25	11.0 ± 4.0		1.0	1600	16 > 0.37	-	B0.5	(1)
VV Ser	25 -13/+27	3.3 ± 1.0		0.6	440	24 > 0.3	VV Ser	B9e	(3)
VY Mon	28 -15/+29	4.1 ± 1.0		0.1	800	26 > 0.3	VY Mon	B8e	(3)
Mol 8A	30 ± 15	3.8 ± 2.0		<1	11500	-	-	-	(2)
IRAS 05377+3548	30 -15/+32	9.5 ± 2.5		1.0	1800	31 > 0.24	-	B1	(1)
Ser SVS2	31 -16/+31	2.2 ± 0.2		2.0	259 ± 37	50 > 0.17	BD 01° 3689	A0	(4)
Tau-Aur	31 -18/+36	7.0 ± 2.5		1-2	140	123 > 0.02	HK Tau/G1	B2	(5)
IRAS 05553+1631	31 -16/+33	9.5 ± 2.5		1.0	2000	28 > 0.28	-	B1	(1)
IRAS 05490+2658	33 -17/+36	7.0 ± 2.5		1.0	2100	30 > 0.29	-	B2	(1)
IRAS 03064+5638	33 -17/+36	11.0 ± 4.0		1.0	2200	27 > 0.31	-	B0.5	(1)
IRAS 06155+2319	34 -18/+35	9.5 ± 2.5		1.0	1600	38 > 0.21	-	B1	(1)
Mol 50	36 ± 18	3.5 ± 2.0		<1	4900	-	-	-	(2)
Mol 11	47 ± 20	3.8 ± 2.0		<1	2100	-	-	-	(2)
IRAS 06058+2138	51 -27/+54	7.0 ± 2.5		1.0	2000	26 > 0.49	-	B2	(1)
NGC 2023	55 -28/+58	8.0 ± 2.0		3.0	400	21 > 0.6	HD 37903	B1.5V	(6)
Mol 3	61 ± 20	3.7 ± 2.0		<1	2170	-	-	-	(2)
Mol 160	63 ± 20	4.3 ± 2.0		<1	5000	-	-	-	(2)
NGC 7129	63 -33/+104	9.2 ± 3.0		0.1	1000	53 > 0.3 / 3 > 3	BD 65° 1637	B3e	(7)
IRAS 06068+2030	67 -35/+70	11.0 ± 4.0		1.0	2000	59 > 0.28	-	B0.5	(1)
IRAS 00494+5617	71 -37/+74	9.5 ± 2.5		1.0	2200	58 > 0.31	-	B1	(1)
IRAS 05197+3355	72 -38/+75	11.0 ± 4.0		1.0	3200	34 > 0.50	-	B0.5	(1)
Cha I	80 -46/+91	5.0 ± 3.0		2.0	170 ± 10	237 > 0.04	HD 96675	B6IV/V	(8)
V921 Sco	71 -36/+429	14.0 ± 4.0		0.1-1	800	33 > 0.5	V921 Sco	B0e	(7)
IRAS 05375+3540	73 -38/+78	11.0 ± 4.0		1.0	1800	74 > 0.24	-	B0.5	(1)
IRAS 02593+6016	78 -41/+81	15.0 ± 5.0		1.0	2200	61 > 0.31	-	B0	(1)
Mol 103	80 ± 20	4.0 ± 2.0		<1	4100	-	-	-	(2)
NGC 2071	80 -44/+89	4.0 ± 2.0		1.0	400	105 > 0.2	V1380 Ori	B5	(9)
MWC 297	85 ±60	8.3 -1.3/+13.7	8.3 -1.3/+13.7	0.1-1	250 or 450	24 > 0.3	-	B1.5V or O9e	(3)
IC 348	89 -46/+92	6.0 ± 1.0		1.3	310	173 > 0.1	BD 31°643	B5V	(10)
BD 40° 4124	90 -49/+106	12.9 -6.0/+ 2.0		0.1-6	1000	74 > 0.3 / 3 > 3	BD 40° 4124	B2e	(3)
ρ Oph	91 -46/+93	8.0 ± 1.0		0.1-1	130 ± 20	78 > 0.3	ρ Oph	BIV	(11)
IRAS 06056+2131	92 -49/+97	7.0 ± 2.5		1.0	2000	85 > 0.28	-	B2	(1)
IRAS 05100+3723	98 -51/+103	15.0 ± 5.0		1.0	2600	63 > 0.38	-	B0	(1)
R CrA	105 -55/+114	4.0 ± 2.0		1.0	130	55 > 0.5	R CrA	A5eII	(12)
NGC 1333	105 -54/+111	5.0 ± 1.0		1-3	250	134 > 0.2	SSV 13	-	(13)
Mol 28	105 ± 20	9.9 ± 2.0		<1	4500	-	-	-	(2)
IRAS 02575+6017	111 -57/+116	9.5 ± 2.5		1.0	2200	91 > 0.31	-	B1	(1)
W40	144 -80/+576 100	10.0 ± 5.0		1-2	600	3 > 4	IRS 2a	-	(14)
σ Ori	150 -76/+155	20.0 ± 4.0	17.3 -4.3/+4.7	2.5	360 ± 60	140 ± 10 (0.2-1.0)	σ Ori A	O9-9.5V	(15)
NGC 2068	151 -86/+169	5.0 ± 3.0		1.0	400	192 > 0.2	HD 38563A	B4V	(16)
NGC 2384	189 -95/+192	16.5 ± 1.5		1.0	2100	7 > 3	HD 58509	B0.5III	(17)

Designation	$M_{\rm ecl}$ [$M_\odot$]	$m_{\rm max\ obs\ old}$ [$M_\odot$]	$m_{\rm max\ obs\ new}$ [$M_\odot$]	age [Myr]	D [pc]	# of stars	Id $m_{\rm max}$	Sp Type	Ref.
Mon R2	225 -117/+236	15.0 ± 5.0		0-3	830 ± 50	309 > 0.15	IRS 1SW	B0	(18)
IRAS 06073+1249	239 -120/+242	11.0 ± 4.0		1.0	4800	25 > 1.47	-	B0.5	(1)
Trumpler 24	251 -131/+291	14.5 ± 2.5		1.0	1140	4 > 5	GSC 7872-1609	WN	(19)
IC 5146	293 -226/+305	14.0 ± 4.0		1.0	900	238 > 0.3 / 5 > 3	BD 46° 3474	B0e	(20)
HD 52266	400 ± 350	28.0 ± 3.5	20.0 -5.0/+7.0	<3.0	1700 ± 1000	4 ± 2 > 4	HD 52266	O8-9V	(21)
HD 57682	400 ± 350	28.0 ± 3.5	20.0 -5.0/+7.0	<3.0	?	4 ± 5 > 4	HD 57682	O8-9V	(21)
Alicante 5	461 -234/+516	12.0 ± 4.0		<3.0	3600 +600/-400	22 > 2.5	A47	B0.7V	(22)
Cep OB3b	485 -243/+497	37.7 ± 5.0	27.2 -5.2/+8.8	3.0	800 ± 100	12 > 4	HD 217086	O7Vn	(23)
HD 153426	500 ± 350	40.0 ± 6.5	28.9 -6.9/+7.1	<3.0	?	5 ± 4 > 4	HD 153426	O6.5-7V	(21)
NGC 2264	525 -267/+537	25.0 ± 5.0	27.2 -5.2/+8.8	3.0	760 ± 100	1000 > 0.08	S Mon / HD 47839	O7Ve	(24)
Sh2-294	525 -267/+540	12.5 ± 2.5		4.0	3200	155 > 0.7	S294B0.5V	B0.5V	(25)
RCW 116B	536 -276/557	21.0 ± 5.0	16.9 -5.9/+7.1	2.5	1100	102 > 0.95	-	B1V-O8V	(26)
NGC 6383	561 -281/+563	37.7 ± 5.0	27.2 -5.2/+8.8	2.0	1300 ± 100	21 > 3	HD 159176	O7V + O7V	(27)
Alicante 1	577 -290/+583	45.0 ± 5.0	34.3 -8.3/+10.7	2-3	4000 ± 400	38 > 2.0	BD 56° 864	O6V	(28)
HD 52533	621 -417/+1077	26.7 ± 3.0	19.1 -4.1/+2.9	<3.0	?	15 ± 5 > 4	HD 52533	O8.5-9V	(21)
Sh2-128	666 -342/+736	37.7 ± 5.0	27.2 -5.2/+8.8	2.0	9400	7 > 7	-	O7V	(29)
NGC 2024	690 -350/+706	20.0 ± 4.0	15.3 -6.8/+8.7	0.5	400	309 > 0.5	IRS 2b	O8V - B2V	(30)
HD 195592	725 -364/+757	40.0 ±10.0	32.4 -6.4/+6.6	<3.0	?	18 ± 3 > 4	HD 195592	O6-6.5V	(21)
Sh2-173	748 -395/+901	25.4 ± 5.0	18.3 -4.3/+3.7	0.6-1.0	2500 ± 500	7 > 7	BD 60° 39	O9V	(31)
DBSB 48	792 -416/+1126	56.6 ± 15.0	42.3 -8.3/+12.7	1.1	5000 ± 700	5 > 10	-	O5V	(32)
NGC 2362	809 -409/+823	43.0 ± 7.0	35.3 -5.3/+34.7	3.0	1390 ± 200	353 > 0.5	τ CMa	O9Ib	(33)
Pismis 11	896 -448/+938	40.0 -0.0/+40.0		3-5	3600 +600/-400	43 > 2.5	HD 80077	B2Ia	(22)
NGC 6530	1075 -545/+1097	56.6 ± 11.0	30.5 -6.5/+8.5	2.3	1350 ± 200	620 > 0.4	HD 165052	O6.5V	(34)
FSR 1530	1410 -707/+1581	30.0 ± 15.0		<4.0	2750 ± 750	35 > 4	[M81]I-296	-	(35)
Berkeley 86	1440 -730/+1470	40.0 ± 8.0	21.7 -4.7/+7.3	3-4	1700	340 > 0.8	HD 193595	O8V(f)	(36)
NGC 637	1682 -854/+1726	30.8 ± 15.0	21.7 -6.7/+11.3	4.0	2160	583 $M_\odot$ > 1.6	-	≈ O8	(37)
W5Wb	1734 -874/+1757	34.1 ± 5.0	24.1 -4.1/+8.9	2.0	2000	300 > 1	BD 60° 586	O7.5V	(38)
Stock 16	1857 -955/+2045	43.0 ± 10.0	32.1 -7.1/+7.9	4.0	1650	16 > 8	HD 115454	O7.5III	(39)
ONC	2124 -1078/+2175	35.8^a ± 7.2	34.3 - 5.7/+10.7	<1.0	414 ± 7	3500 (0.1 - 30)	Θ Orionis C1	O6Vpe	(40)
RCW 38	2251 -1132/+2276	50.4 ± 10.0	37.7 -7.7/+12.3	<1.0	1700	2000 > 0.25	IRS 2	O5.5V	(41)
Bochum 2	2284 -1302/+3523	37.7 ± 4.0	27.2 -5.2/+8.8	2-4	2700	4 > 16	BD 00° 1617B	O7V	(42)
Berkeley 59	2310 -1168/+2417	37.7 ± 4.0	27.2 -5.2/+8.8	2.0	1000	41 > 5	BD 66° 1675	O7V	(43)
IC 1590	2376 -1245/+2799	41.0 ± 5.2	30.5 -6.5/+8.5	3.5	2900	14 > 10	BD 55° 191	O6.5V	(44)
W5E	2614 -1323/+2667	37.7 ± 5.0	27.2 -5.2/+8.8	2.0	2000	400 - 500 > 1	HD 18326	O7V	(38)
W5Wa	2651 -1338/+2690	52.0 ± 10.0	37.3 -6.3/+7.7	2.0	2000	400 - 500 > 1	HD 17505	O6.5III	(38)
NGC 1931	3128 -1564/+3163	30.8 ± 15.0	21.7 -6.7/+11.4	4.0	3086	848 $M_\odot$ > 2.39	-	≈ O8	(37)
LH 118	3746 -1918/+4077	56.6 ± 7.0	42.3 -8.3/+12.7	3.0	48500	28 > 9	LH 118-241	O5V	(45)
NGC 2103	3853 -1937/+3905	80.0 ± 20.0	89.3 -24.3/+30.7	1.0	48500	26 > 10	Sk -71° 51	O2V((f*))	(46)
NGC 7380	4527 -2290/+4611	47.8 ± 5.0	36.0 -6.0/+9.0	2.0	3700	42 (6 - 12)	HD 215835	O5.5-6V((f))	(47)
NGC 6231	4595 -2312/+4676	59.0 ± 10.0	51.9 -20.9/+18.1	1.0	1600	51 > 7	HD 152248	O7Ib	(48)
RCW 106	4681 -2375/+4871	45.7 ± 10.0	34.1 -8.1/+10.9	2.5	1100	41 > 8	-	O5.5-6.5V	(49)
NGC 6823	4983 -2584/+5685	37.7 ± 4.0	27.2 -5.2/+8.8	2-4	1900	42 > 8	BD 22° 3782	O7V(f)	(50)
RCW 121	5323 -2671/+5390	42.0 ± 4.0	38.3 -8.3/+11.7	4.2	1600	96 > 5	-	O6V-O5V	(51)
NGC 2244	5946 -3029/+6102	68.9 ± 14.0	54.1 -9.1/+10.9	1.9	1500	54 (6 - 12)	HD 46223	O4V(f)	(52)
NGC 2122	6764 -3416/+6960	74.7 ± 10.0	58.8 -13.8/+11.2	3.0	48500	52 > 9	HD 270145	O6I(f)	(53)
[OBS 2003] 179	7000 ± 3500	50.0 ± 20.0	70.0 ± 10.0	2-5	7900	10 > 16	Obj 4	Ofpe/WN9	(54)
Westerlund 2	8845 -4456/+9009	82.7^a ± 5.5	121.0 -43.8/+29.0	1-2	8000	29 > 16.5	WR20a A	WN6ha	(55)

^{a} Dynamical mass estimates from binary orbits exist for these stars.

Designation	M_{ecl} [$M_\odot$]	$m_{\rm max\ obs\ old}$ [$M_\odot$]	$m_{\rm max\ obs\ new}$ [$M_\odot$]	age [Myr]	D [pc]	# of stars	Id m_{max}	Sp Type	Ref.
RCW 95	9670 -4840/+9720	87.6 ± 14.0	64.6 -9.6/+15.4	1.5	2400	136 > 6	-	O3V	(56)
IC 1805	10885 -5528/+11137	75.6 ± 10.0	56.5 -6.5/+8.5	2.0	2350	99 (6 - 12)	HD 15558	O4-5III(f)	(47)
NGC 6357	11978 -6430/+11979	115.9 ± 30.0	79.8 -14.8/+15.2	1.0	2560	38 > 16.5	HDE 319718A	O3If	(57)
NGC 3603	$1.3 \cdot 10^4$ ± 3000	150.0 ± 50.0	121.0 -41.0/+29.0	0.7	6000	-	NGC 3603-B	WN6ha	(58)
Trumpler 14/16	17890 -8945/+18676	150.0 ± 50.0	99.8 -39.8/+50.2	1.7	2500	64 > 16	η Carina	LBV	(59)
NGC 6611	25310 -12659/+25503	85.0 ± 15.0	60.4 -5.6/+9.6	1.3	1800	460 > 5	HD 168076	O4III	(60)
Cyg OB2	75890 -38453/+78716	92.0 -25.0/+58.0		2.0	1700	8600 > 1.3	Cyg OB2-12	B8Ia	(61)
Arches	77225 -39250/+77225	120.0 -0.0/+30.0	111.0 -41.0/+39.0	2.5	7620	196 > 20.1	N4	WN7-8h	(62)
R 136	222912 -112104/+224426	145.0 ± 15.0	125.4 -45.4/+24.6	1-2	48500	8000 > 3	R136a1	O2If*/WN4.5	(63)

[a] Dynamical mass estimates from binary orbits exist for these stars.

Table B2. References for Table B1.

1: Carpenter et al. (1990, 1993), 2: Faustini et al. (2009), 3: Testi et al. (1997, 1998, 1999); Wang & Looney (2007), 4: Kaas et al. (2004), 5: Cohen & Kuhi (1979); Briceño et al. (2002), 6: Sellgren (1983); Depoy et al. (1990); Lada et al. (1991), 7: Gutermuth et al. (2004); Wang & Looney (2007), 8: Luhman (2008), 9: Lada et al. (1991), 10: Preibisch & Zinnecker (2001); Lada & Lada (2003), 11: Wilking et al. (1989); Larson (2003); Wilking et al. (2008), 12: Neuhäuser & Forbrich (2008), 13: Aspin (2003); Getman et al. (2002); Gutermuth et al. (2008), 14: Smith et al. (1985); Rodney & Reipurth (2008), 15: Sherry et al. (2004); Bouy et al. (2009), 16: Sellgren (1983); Lada et al. (1991), 17: Pandey et al. (1989), 18: Carpenter et al. (1997); Preibisch et al. (2002), 19: Heske & Wendker (1984); Pandey et al. (1989), 20: Walker (1959); Forte & Orsatti (1984); Pandey et al. (1989); Wang & Looney (2007); Mayne et al. (2007), 21: de Wit et al. (2004, 2005), 22: Marco & Negueruela (2009), 23: Naylor & Fabian (1999); Pozzo et al. (2003); Mayne et al. (2007), 24: Sung et al. (2004); Mayne et al. (2007); Dahm (2008), 25: Yun et al. (2008), 26: Roman-Lopes (2007), 27: Rauw et al. (2003); Paunzen et al. (2007); Rauw & De Becker (2008), 28: Negueruela & Marco (2008), 29: Bohigas & Tapia (2003), 30: Lada et al. (1991); Haisch et al. (2000); Sherry et al. (2004), 31: Cichowolski et al. (2009), 32: Ortolani et al. (2008), 33: Mayne et al. (2007); Dahm & Hillenbrand (2007), 34: Prisinzano et al. (2005); Damiani et al. (2004, 2006); Mayne et al. (2007); Chen et al. (2007), 35: Froebrich et al. (2008), 36: Massey et al. (1995); Vallenari et al. (1999), 37: Hasan et al. (2008), 38: Koenig et al. (2008), 39: Turner (1985); Pandey et al. (1989), 40: Hillenbrand & Hartmann (1998); Hillenbrand et al. (1998); Menten et al. (2007); Kraus et al. (2009), 41: Wolk et al. (2006, 2008), 42: Dambis (1999); Lata et al. (2002), 43: Blanco & Williams (1959); MacConnell (1968); Pandey et al. (2008), 44: Walborn (1973); Guetter & Turner (1997); Lata et al. (2002), 45: Massey et al. (1989), 46: Meynadier et al. (2005), 47: Wolff et al. (2007), 48: García & Mermilliod (2001); Sana et al. (2006, 2007, 2008), 49: Roman-Lopes et al. (2003); Roman-Lopes (2007), 50: Pigulski et al. (2000); Lata et al. (2002), 51: Roman-Lopes & Abraham (2006); Roman-Lopes (2007), 52: Massey et al. (1995); Park & Sung (2002); Chen et al. (2007); Wolff et al. (2007); Bonatto & Bica (2009), 53: Silkey & Massey (1986); Garmany & Walborn (1987); Massey et al. (1989); Niemela & Gamen (2004), 54: Borissova et al. (2008), 55: Bonanos et al. (2004); Nazé et al. (2008), 56: Roman-Lopes & Abraham (2004); Roman-Lopes (2007), 57: Bohigas et al. (2004); Maíz Apellániz et al. (2007); Wang et al. (2007), 58: Harayama (2007); Harayama et al. (2008); Schnurr et al. (2008), 59: Penny et al. (1993); Massey & Johnson (1993); Massey et al. (1995); Nelan et al. (2004); Oey & Clarke (2005); Ascenso et al. (2007); Sanchawala et al. (2007); Ortolani et al. (2008), 60: Bonatto et al. (2006); Wolff et al. (2007), 61: Knödlseder (2000); Massey et al. (2001); Wolff et al. (2007); Negueruela et al. (2008), 62: Figer et al. (2002); Martins et al. (2008), 63: Massey & Hunter (1998); Selman et al. (1999); Schnurr et al. (2009)

APPENDIX C: NOTES ON INDIVIDUAL STAR CLUSTERS

C1   MWC 297

Depending on the uncertain distance the spectral type of the brightest star is either O9e (450 pc, Hillenbrand et al. 1992) or B1.5V (250 pc, Drew et al. 1997). Wang & Looney (2007) assume the O9e spectral type and assign the star a mass of 26.5 $M_\odot$. This mass estimate is rather odd as older literature gives 22 (Hanson et al. 1997) or 25.4 (Vacca et al. 1996) $M_\odot$ for a O9 star and the new Martins et al. (2005) calibration yields 18 $M_\odot$. Here we assume the newer distance of 250 pc and therefore
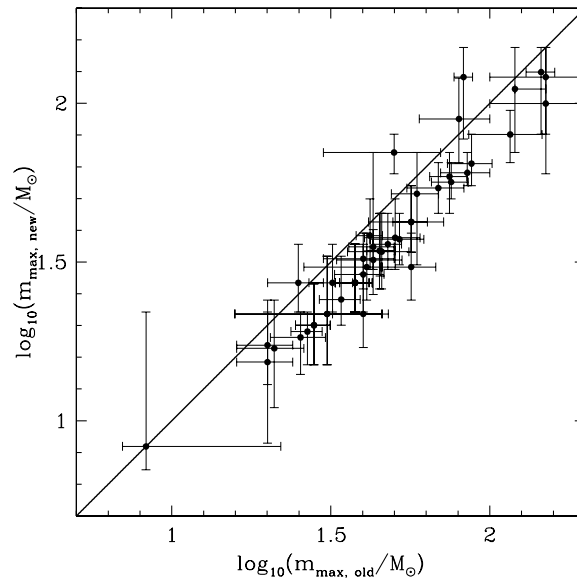
Figure B1. The values for the O star masses from the old calibration on the abscissae vs the newly calibrated ones on the ordinate. The *thick solid line* indicates were both values would be the same.

the spectral type B1.5V but include the mass of an O9V star as an upper limit (22 $M_\odot$ for the old calibration and 18 $M_\odot$ for the new one).

C2   Pismis 11

It is not certain whether HD 80077 is part of this star cluster or not (Marco & Negueruela 2009). If it is it would be one of the brightest stars in the MW. As it is an evolved star (B2Ia) the precise initial mass in not known, only that it should be above 40 $M_\odot$.

C3   NGC 2244

Bonatto & Bica (2009) give a mass of 625 $M_\odot$ for this cluster from fitting a King profile to the MS and PMS stars they found. But when using the number of B0 to B3 stars (54 between 6 and 12 $M_\odot$ $M_\odot$) from Wolff et al. (2007), an IMF extrapolation yields a cluster mass of about 6000 $M_\odot$. A reason for this discrepancy is currently not known.

C4 γ Velorum Cluster

Jeffries et al. (2009) studied a group of several hundred PMS stars around the massive binary γ^2 Vel (WC8 + O7.5V) in the Vela OB2 association. They concluded that it is a young ($\approx$ 7 Myr) low-mass (250 - 360 $M_\odot$) cluster with a very massive star (initial mass for the WC8 star > 40 $M_\odot$). This object has not been included because of its age and the possible mass loss from the cluster due to gas expulsion.

C5   Trumpler 14/16

Trumpler 14 and Trumpler 16 are believed to be one single cluster optically divided by a large patch of gas and dust (Oey & Clarke 2005). Some studies do not consider η Carina as part of this cluster. If η Car is not part of the cluster then the O3If* star HD 93129AB (67^+ $M_\odot$) would be the most-massive star in the cluster.

C6   Cyg OB2

The star Cyg OB2-12 is an evolved star (B8Ia) and is considered to be one of or maybe even the brightest star in the MW. Negueruela et al. (2008) estimate its initial mass with 92 $M_\odot$. The region contains 8600 stars earlier than F3, some 2600 OB stars and around 120 O stars and has been described by Knödlseder (2000) as a possible young globular cluster within the MW disk.

C7   R 136

There is some debate in the literature whether or not extremely massive stars (> 80 $M_\odot$) might or might not look like Wolf-Rayet stars even while they still burn hydrogen in their cores (Crowther 2007). Therefore, the spectral type of the most-massive star (R136a1) might be either O2If* or WN4.5. But this has little consequences for the mass estimate for this star as it is based on a detailed spectral analysis (Massey & Hunter 1998). The mass estimate for the cluster, $2.2 \cdot 10^5 M_\odot$, is for R 136 only. The cluster contains about 8000 stars between 3 and 120 $M_\odot$ and 39 O3If* stars. The whole region of 30 Doradus is believed to hold a total of $4.5 \cdot 10^5 M_\odot$ in stars (Bosch et al. 2009).

C8   Cl 1806-20

The cluster and its most massive star, LBV 1806-20, one of the brightest stars in the MW, have not been included because the cluster is known to host a pulsar (SGR 1806-20) and is therefore most probably too old for the current study. Additionally, very little is known about its stellar population besides the LBV, the pulsar, an OB supergiant and three Wolf-Rayet stars as this cluster is on the far side of the Galaxy (D $\approx$ 15000 pc) and heavily dust obscured (Figer et al. 2005).

C9   Quintuplet

This massive cluster ($\sim 1.2 \cdot 10^4$ $M_\odot$, Figer et al. 1999; Liermann et al. 2009) hosts the Pistol star which is one of the brightest and most massive stars in the Galaxy (150^+ $M_\odot$?) but is believed to be 4-6 Myr old and therefore too old for this study.

C10   Westerlund 1

Another massive cluster ($> 10^4$ $M_\odot$, Brandner 2008) with about 150 O stars. It houses an X-ray pulsar (Muno et al. 2006) and is therefore not included into this study as it is too old (4-5 Myr).

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